



# Composition and Mass Loss

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- Two of the major items which can affect stellar evolution are
  - Composition: The most important variable is  $Y$  – the helium content
  - Mass Loss: core evolution is essentially independent of envelope evolution especially during later phases. This means that “lower” mass stars can have a “high” luminosity.

# Composition

Y is the more important

- Where this is of greatest impact is in the lifetimes of Pop II/III stars
  - In Pop II ( $Z \sim 0$ )  $t \propto 10^{2X}$  and since  $X$  is somewhat larger than in Pop I one gets a longer lifetime.
  - The converse is that He rich stars leave the MS very quickly.
  - Y changes from 0.3  $\rightarrow$  0.2 (at  $Z = 0.03$ )
  - At  $5 M_{\odot}$   $T_{\text{eff}}$  decreases 10% and L decreases by a factor of 2

# Heavy Metal Effects

This is for the Main Sequence

- Changes in  $Z$  lead to evolutionary changes essentially opposite to those in  $Y$  but are smaller.
  - $Z$  decreases :  $L$  and  $T_{\text{eff}}$  increase
- This means Pop II stars should be more luminous and hotter than Pop I ( at the same  $X, Y$ )

# Post-MS Composition Effects

- Y is more important than Z for fixing the luminosity
- As a star evolves Z becomes more important as the energy generation involves Z (CNO dominates in higher mass stars, if there is CNO)
- The  $T_{\text{eff}}$  position of the red giant branch is insensitive to Y or Z but the luminosity varies by a factor of 4 according to  $Y/Z$

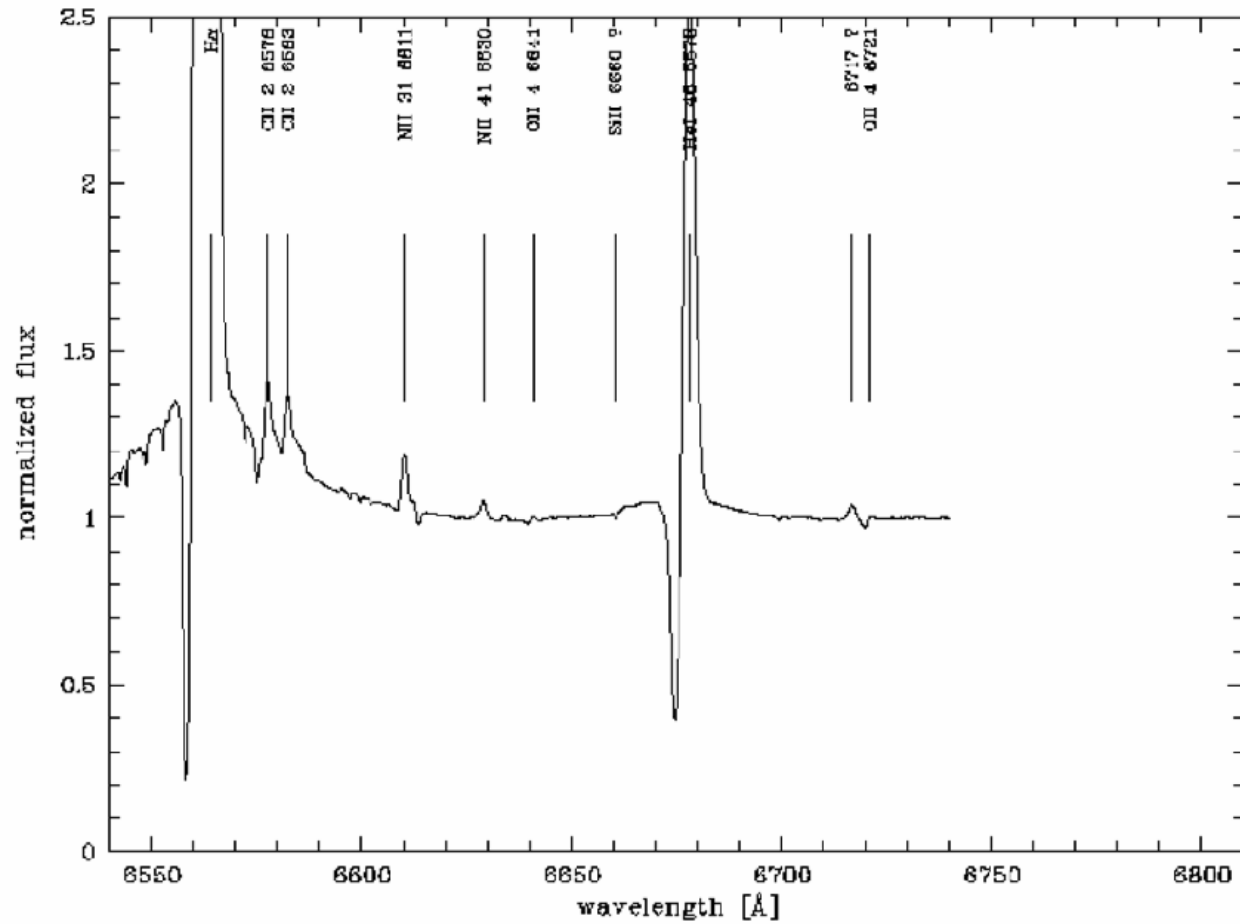
# A Problem: Convective Mixing

- There is “no” good *ab initio* theory of convection
- Mixing length: defined as some fraction of the pressure scale height
- General number used is 1.5

# Mass Loss

- Solar Mass Loss – The solar wind
  - Flux =  $10 \text{ p / cm}^3$  with  $V = 400 \text{ km/s}$
  - $V$  must be greater than  $V_{\text{esc}}$
- Solar  $V_{\text{esc}} = \text{SQRT}(2GM/R) = 620 \text{ km/s}$  at  $R_{\odot}$  and  $42 \text{ km/s}$  at  $1 \text{ AU}$ .
- Current Solar Mass Loss Rate is about  $10^{-14} M_{\odot}/\text{year}$ 
  - Integrated Mass Loss  $10^{-4} M_{\odot}$  if the rate has been constant.
- Observed Rates are up to  $10^{-4} M_{\odot} / \text{year}$  and are mass dependent.

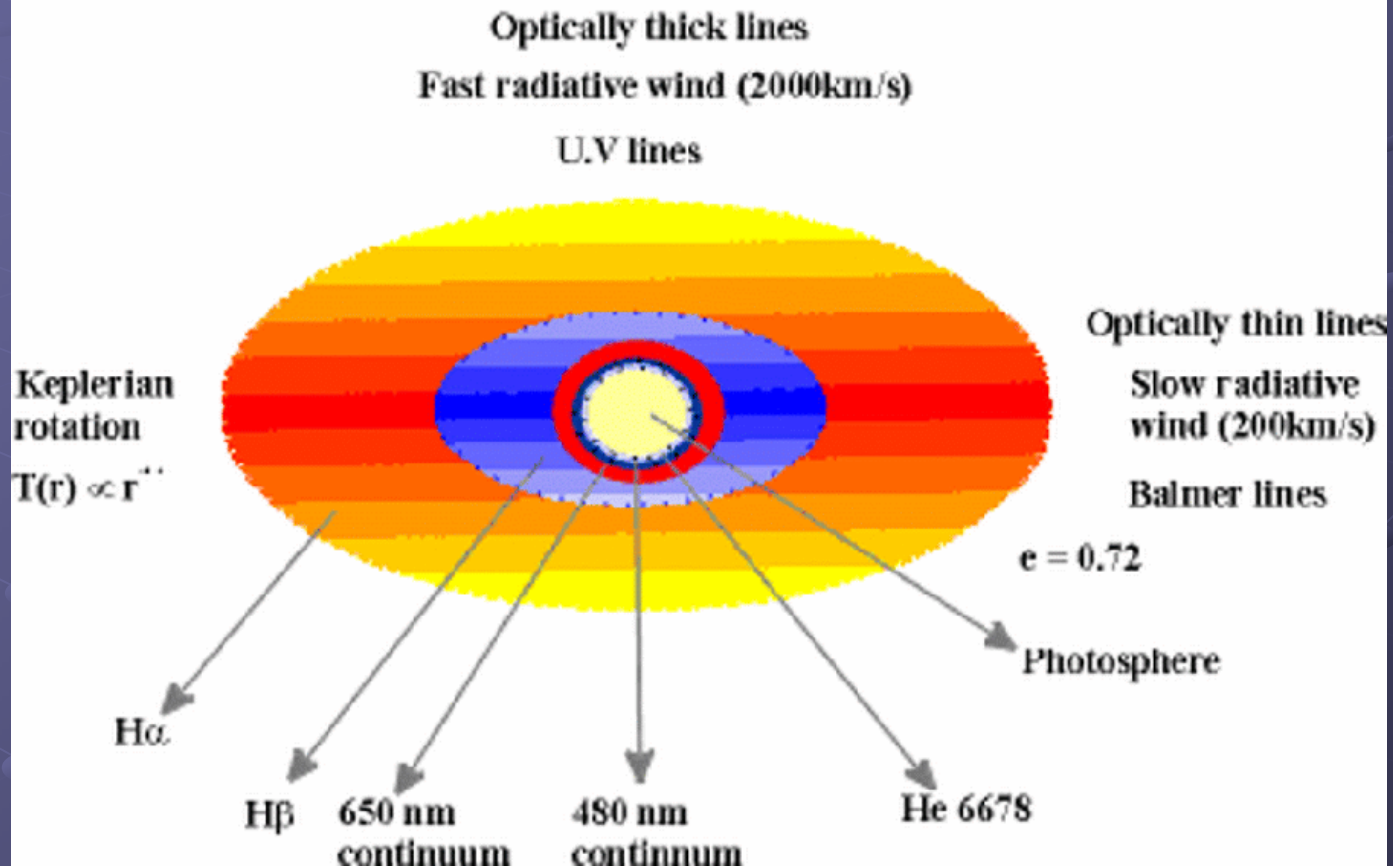
# P Cygni Stars





# Gamma Cas

## A model for $\gamma$ Cassiopeiae (B0.5IVe)



# What Does Mass Loss Do To Stellar Evolution?

- Let us consider two stars with identical composition and the same current mass:
  - Star 1: Constant Mass
  - Star 2:  $dM/dt = -a M_{\odot} / \text{year}$
- Obviously Star 2 at  $t = 0$  was more massive than Star 1 → It evolved faster.
- Assumptions:
  - Both convert equal H to He
  - Equal amounts of radiation (energy) produced.

# How Do We Proceed?

- Assume  $L \sim M^\alpha$  (This is reasonable –  $\alpha$  is about 3 to 3.2)

$$M_2^\alpha T = \int_0^{T'} M(t)^\alpha dt$$

- Note that  $M^\alpha T$  is just the total energy produced.
  - $T$  = age of constant mass star
  - $T'$  = age of star with mass loss rate  $dM/dt$
- Assuming the  $M(t)$  is known one can solve for  $T'$  given  $M_2$ ,  $\alpha$ , and  $T$ .

# What Happens?

a parameterizes the mass loss

- The sensitivity of the track to the mass loss rate depends on the initial mass:
  - Higher mass stars can sustain a somewhat higher rate without changing the evolution.
  - The integrated mass loss as a fraction of the total mass is comparable.
  - Mass loss of  $10^{-12} M_{\odot}$  or less have little effect on  $M \sim 1 M_{\odot}$
  - Mass loss of  $10^{-9} M_{\odot}$  or less have little effect on  $M \sim 5 M_{\odot}$

# Rates That Matter

- For a  $1 M_{\odot}$  star  $10^{-10} M_{\odot} / \text{year}$  will halve the MS lifetime
  - Original mass of  $1.4 M_{\odot}$
- For a  $5 M_{\odot}$  star  $10^{-6} M_{\odot} / \text{year}$  will decimate (10%) the MS lifetime
  - Original mass of  $12 M_{\odot}$
- Note that the lifetime goes with the original mass as it sets the energy generation.

# Ramifications

- Globular Clusters: If they are loosing mass then the age estimates are too large
  - Measured mass loss rates are variable
  - The age of the Universe anyone?

# Planetary Nebulae

- Stars “blow off” mass in shells – planetary nebulae are the result of these episodes.
- Composition reflects extensive processing.
  - C and O enriched
  - Advanced evolutionary stage (post He burning)
- Thought to be post/during ascent to 2<sup>nd</sup> Giant Branch. (Detach the shell during an envelope expansion phase)
- Alternate mechanism is the hyperwind model associated with the AGB stars of low mass.

# PN

- Typical Shell Mass is  $0.01 M_{\odot}$ .
- Lifetime is about 50000 years
  - expansion leads to lowering of density until the material becomes so optically thin it cannot be detected
- Core star is usually very blue - probably the core of an ex-red giant –  $T_{\text{eff}}$  50000 - 100000K
- PN are binary systems in many cases.



# Stellar Mass and the Final Stage of Evolution

- Chandrasekhar Limit:  $1.41 M_{\odot}$ 
  - Electron Degeneracy support
  - Observed white dwarfs in Pleiades and Hyades
    - Turn-off masses are  $4 - 6 M_{\odot}$
    - This means the original masses were in excess of  $4 - 6 M_{\odot}$  they had to lose sufficient mass to get down to the Chandrasekhar limit.

# Close Binaries

- Generally stellar evolution does not take into account close binaries:
  - Wide system  $P > \text{years}$  and the stars evolve without interacting
- Close Systems
  - Mass exchange through the LaGrange points
    - Fill Roche lobe, push mass through and dump on the secondary
    - Secondary then heats up and becomes the primary – these are Algol systems
    - Barium and subgiant CH stars
    - Cataclysmic Variables

# Fate of Stars

Category	Mass Limits $M_{\text{rem}}$	Fractional Mass of Galaxy	Fate
a	$\approx 1.5$	0.6	WD
b	$1.5 \approx M_{\text{rem}} \approx 4$	0.2	WD
c	$4 \approx M_{\text{rem}} \approx 8$	0.06	WD/NS
d	$> 8$	0.14	SN(NS)